

1. If the null hypothesis is correct, what is the expected (i.e. average) value taken by the chi square statistic for  $df = 6$ ?
2. If  $df = 6$  and chi square statistic = 15.3 is the P-value below 0.001?
3. In the past, sales have run 22% vegetarian and the rest not vegetarian. Suppose a random sample of 70 sales is taken. How many vegetarian sales are expected (on average)?
4. Refer to (3). Of the 70 sales we observe that 18 are vegetarian. Give the contribution of only cell "vegetarian" to the chi square statistic.

5. If the null hypothesis is correct, what is the approximate distribution of any one cell's contribution to the chi square statistic?
6. Suppose the null hypothesis is correct. If we are poised to reject the null hypothesis if  $P\text{-value} < 0.03$ , what is the probability that we will reject the null hypothesis (false rejection)?
7. A random sample of 400 patients is sorted into the table below. Determine df for a chi square test of the independence of sex and income.

<b>sex \ income</b>	L	M	H
male	20	120	10
female	30	80	40

8. Refer to (7). Give the marginal total for "male," marginal total for "L," and grand total.

## Test of independence.

<b>sex \ income</b>	<b>L</b>	<b>M</b>	<b>H</b>	
male	20	120	10	
female	30	80	40	

9. Refer to (7). Give the expected count for cell "male L."

10. Refer to (7). Give the contribution of only cell "male L" to the chi square statistic.

11. If the following probabilities apply to a random selection of a patient, is sex independent of income? Be sure to say **why** your answer is correct.

<b>sex \ income</b>	L	M	H
male	0.1	0.08	0.02
female	0.4	0.32	0.08

12. See (11). Suppose we randomly sample 100 individuals finding

<b>sex \ income</b>	<b>L</b>	<b>M</b>	<b>H</b>
<b>male</b>	<b>4</b>	<b>16</b>	<b>10</b>
<b>female</b>	<b>10</b>	<b>40</b>	<b>25</b>

Determine the expected counts under independence hypothesis.

**Binomial:  $p$  = probability of “success,”  $q = 1-p$ .**

**13-16. A random sample of 400 emergency responders finds 50 who require additional training.**

**13. Estimate  $p$  by  $\hat{p}$ .**

**14. Estimate the margin of error for the estimate  $\hat{p}$ .**

**15. Determine the 95% CI for  $p$ .**

**16. If 100 experimenters each forms a 95% CI for  $p$ , around how many of these CI are expected to cover  $p$ ?**

**Binomial:  $p$  = probability of “success,”  $q = 1-p$ .**

**17-21. IF more than 20% of emergency responders require additional training THEN additional money will have to be found.**

**17. Suggest  $H_0$  and  $H_1$  for a test to address the issue.**

**18. A random sample of 200 emergency responders finds 50 who require the training. Calculate an appropriate test statistic.**

**19. Determine the P-value. Does it seem that additional money will be needed?**

**20. If instead  $H_1$ : “ $p$  is not .2” determine the P-value.**

**21. From (20) determine the P-value.**

22. For a test of  $H_0: p = 0.2$  versus  $H_1: "p \text{ is not } 0.2"$  we may employ chi square goodness of fit. Give the table of exp and obs counts for such a test if a sample of 200 finds 50 (as above).

	require training	do not require training
exp		
obs		

std score

23. Refer to (22). Determine the chi square statistic for the test.

24. Refer to (22). Determine the P-value.

25. Meta Analysis. Each of two experimenters independently finds

chi sq = 9.54      df = 6    Test  $H_0$ : both null hyp are correct.

chi sq = 14.33      df = 9







